

## **Chapter 17. PATH ANALYSIS AND NETWORK APPLICATIONS**

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Key Concepts and Terms

Review Questions

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Task 1: Compute the Least Accumulative Cost Distance

Task 2: Compute the Path Distance

Task 3: Run Shortest Path Analysis

Task 4: Build a Geodatabase Network Dataset

Task 5: Find Closest Facility

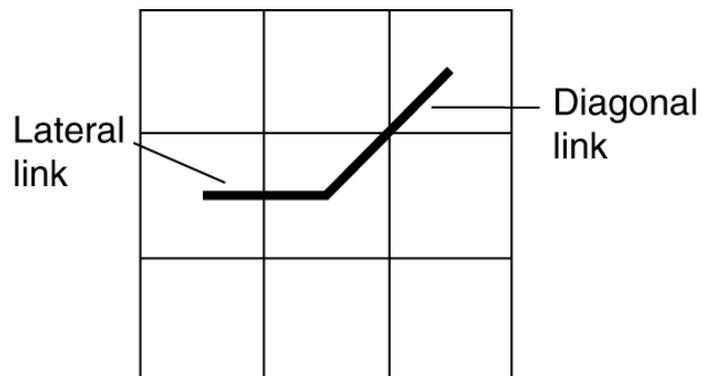
Task 6: Find Service Area

Challenge Question

References

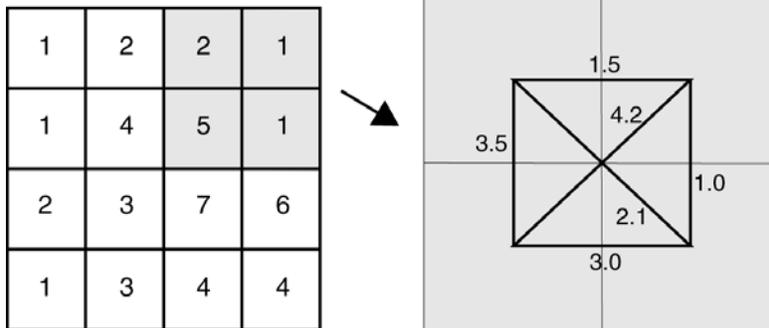
# Path Analysis

- Using a cost raster that defines the cost of moving through each cell, path analysis finds the least cost path between cells.
- A path analysis requires a source raster, a cost raster, cost distance measures, and an algorithm for deriving the least accumulative cost path.
- A source raster defines the source cell.
- A cost raster defines the cost or impedance to move through each cell. The cost distance measure is based on the node-link cell representation.
- The process for finding the least accumulative cost path is an iterative process based on Dijkstra's algorithm.



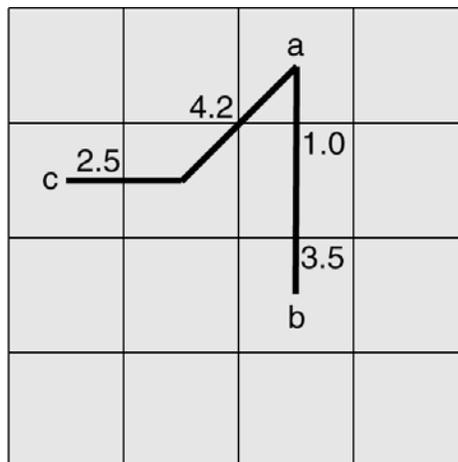
**Figure 17.1**

Cost distance measures follow the node-link representation: a lateral link connects two direct neighbors, and a diagonal link connects two diagonal neighbors.



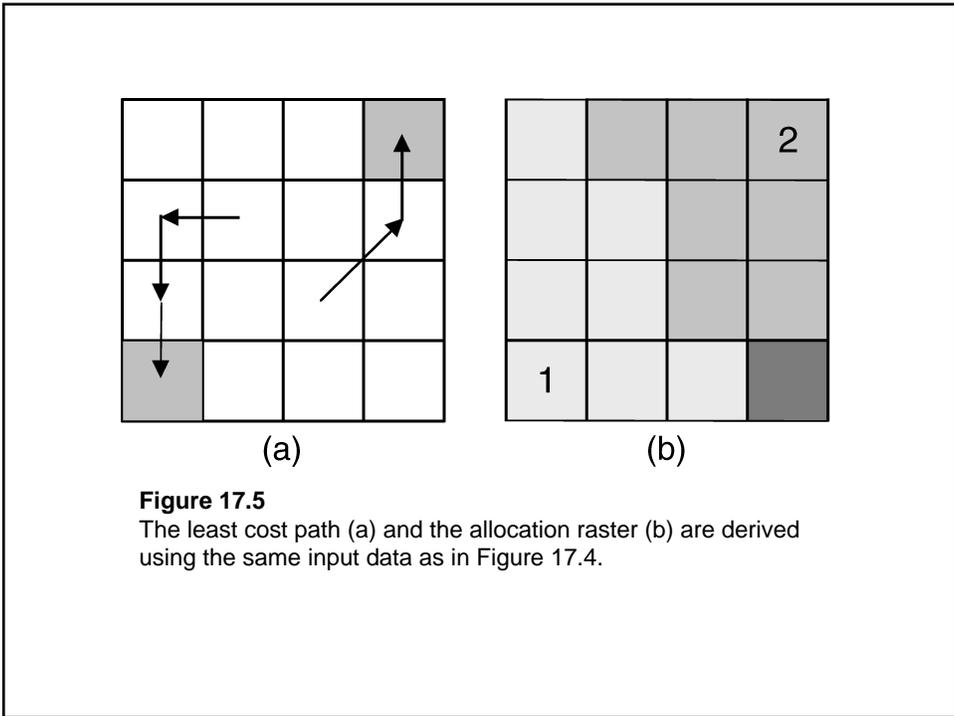
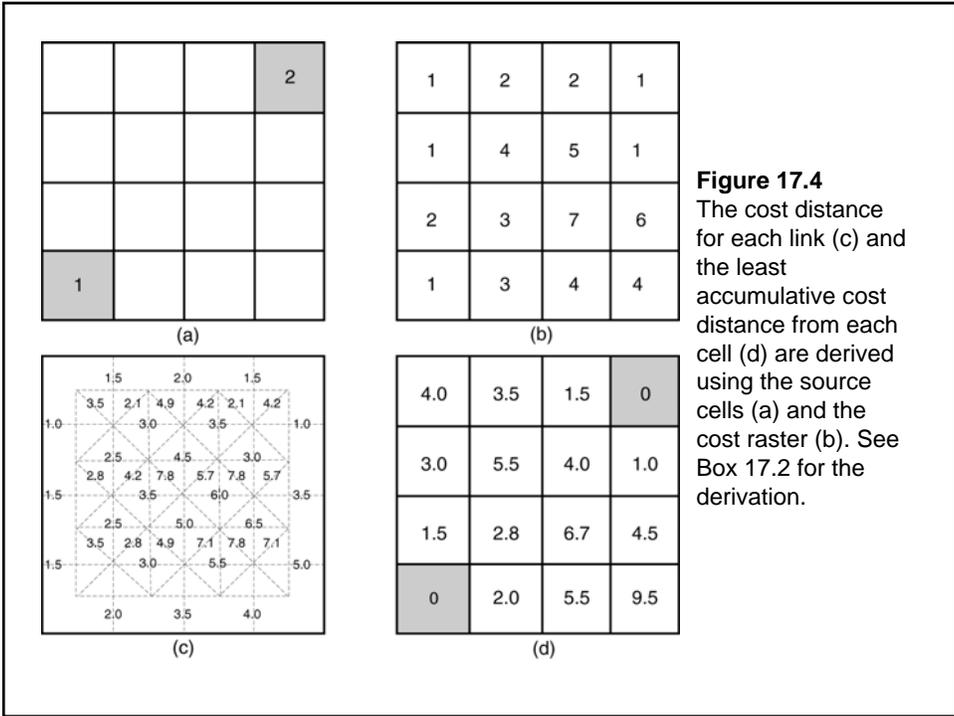
**Figure 17.2**

The cost distance of a lateral link is the average of the costs in the linked cells, for example,  $(1 + 2) / 2 = 1.5$ . The cost distance of a diagonal link is the average cost times 1.4142, for example,  $1.4142 \times [(1 + 5) / 2] = 4.2$ .



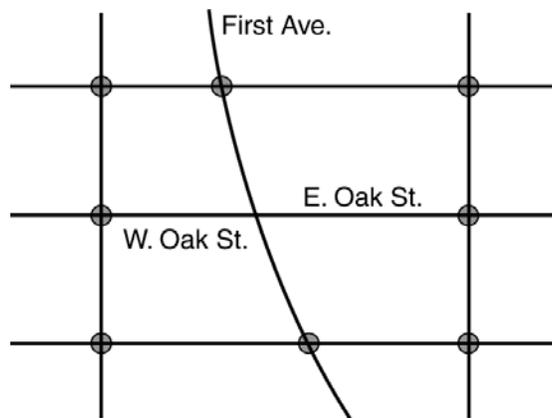
**Figure 17.3**

The cumulative cost from cell *a* to cell *b* is the sum of 1.0 and 3.5, the costs of two lateral links. The cumulative cost from cell *a* to cell *c* is the sum of 4.2 and 2.5, the costs of a diagonal link and a lateral link.



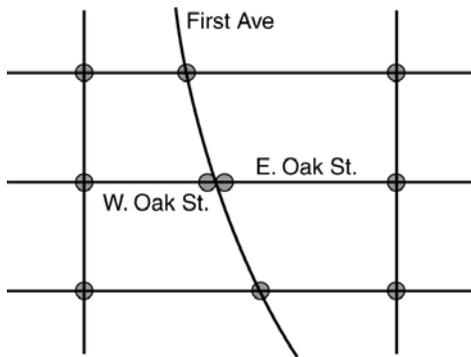
# Network

- A network is a system of linear features that has the appropriate attributes for the flow of objects.
- A network is typically topology-based: lines (arcs) meet at intersections (junctions), lines cannot have gaps, and lines have directions.
- Attribute data of a road network include link impedance, turns, one-way streets, and overpasses/underpasses.



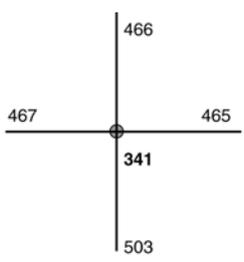
**Figure 17.6**

First Ave. crosses Oak St. with an overpass. A nonplanar representation with no nodes is used at the intersection of Oak St. and First Ave.



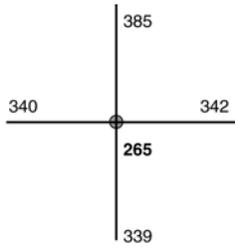
**Figure 17.7**  
 First Ave. crosses Oak St. with an overpass. A planar representation with two nodes is used at the intersection: one for First Ave., and the other for Oak St. First Ave has 1 for the T-elev and F-elev values, indicating that the overpass is on First Ave.

Street name	F-elev	T-elev
First Ave	0	1
First Ave	1	0
W. Oak St.	0	0
E. Oak St.	0	0



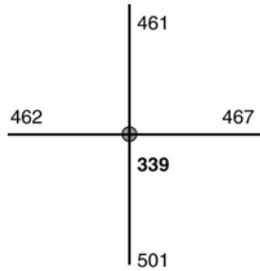
**Figure 17.8**  
 Possible turns at node 341.

Node#	Arc1#	Arc2#	Angle	Minutes
341	503	467	90	0.500
341	503	466	0	0.250
341	503	465	-90	0.250
341	467	503	-90	0.250
341	467	466	90	0.500
341	467	465	0	0.250
341	466	503	0	0.250
341	466	467	-90	0.250
341	466	465	90	0.500
341	465	503	90	0.500
341	465	467	0	0.250
341	465	466	-90	0.250



**Figure 17.9**  
Node 265 has stop signs for the east-west traffic. Turn impedance applies only to turns in the shaded rows.

Node#	Arc1#	Arc2#	Angle	Minutes
265	339	342	-87.412	0.000
265	339	340	92.065	0.000
265	339	385	7.899	0.000
265	342	339	87.412	0.500
265	342	340	-0.523	0.250
265	342	385	-84.689	0.250
265	340	339	-92.065	0.250
265	340	342	0.523	0.250
265	340	385	95.834	0.500
265	385	339	-7.899	0.000
265	385	342	84.689	0.000
265	385	340	-95.834	0.000

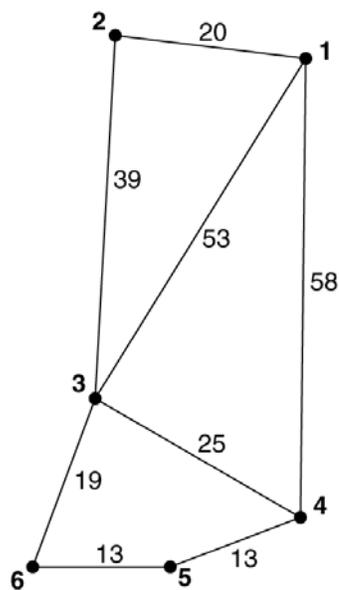


**Figure 17.10**  
Node 339 is an intersection between a southbound one-way street and an east-west two-way street. Notice -1 (no turn) in the shaded rows.

Node#	Arc1#	Arc2#	Angle	Minutes
339	467	501	90.190	0.500
339	467	462	1.152	0.250
339	467	461	-92.197	-1.000
339	462	501	-90.962	0.250
339	462	467	-1.152	0.250
339	462	461	86.651	-1.000
339	461	501	2.386	0.250
339	461	467	92.197	0.500
339	461	462	-86.651	0.250

# Shortest Path Analysis

Shortest path analysis finds the path with the minimum cumulative impedance between nodes on a network. The path may connect just two nodes—an origin and a destination—or have specific stops between the nodes.



**Figure 17.11**  
Link impedance values between cities on a road network.

	(1)	(2)	(3)	(4)	(5)	(6)
(1)	$\infty$	20	53	58	$\infty$	$\infty$
(2)	20	$\infty$	39	$\infty$	$\infty$	$\infty$
(3)	53	39	$\infty$	25	$\infty$	19
(4)	58	$\infty$	25	$\infty$	13	$\infty$
(5)	$\infty$	$\infty$	$\infty$	13	$\infty$	13
(6)	$\infty$	$\infty$	19	$\infty$	13	$\infty$

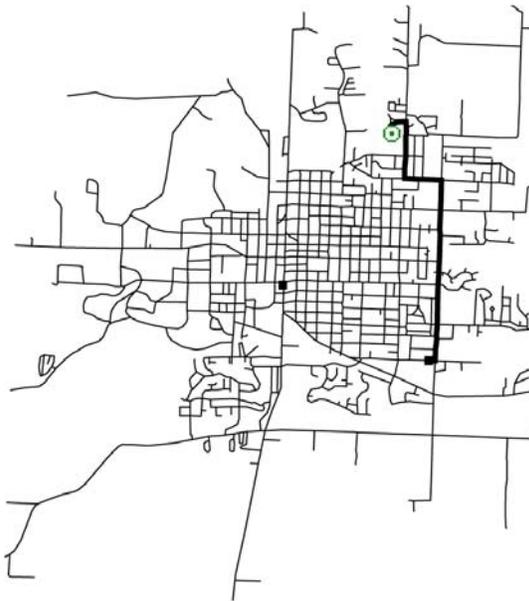
**TABLE 17.1** The Impedance Matrix among Six Nodes in Figure 17.11

<b>From-node</b>	<b>To-node</b>	<b>Shortest Path</b>	<b>Minimum Cumulative impedance</b>
1	2	$p_{12}$	20
1	3	$p_{13}$	53
1	4	$p_{14}$	58
1	5	$p_{14} + p_{45}$	71
1	6	$p_{13} + p_{36}$	72

**TABLE 17.2** Shortest Paths from Node 1 to All Other Nodes in Figure 17.11

# Closest Facility

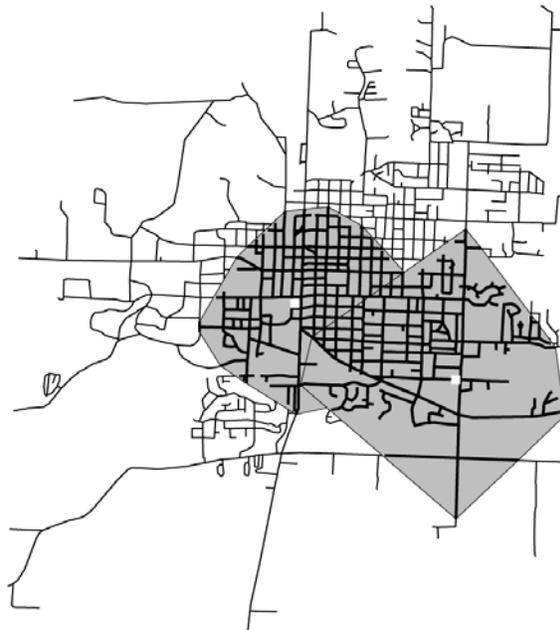
Closest facility finds the closest facility, such as a hospital, fire station, or ATM, to any location on a network.



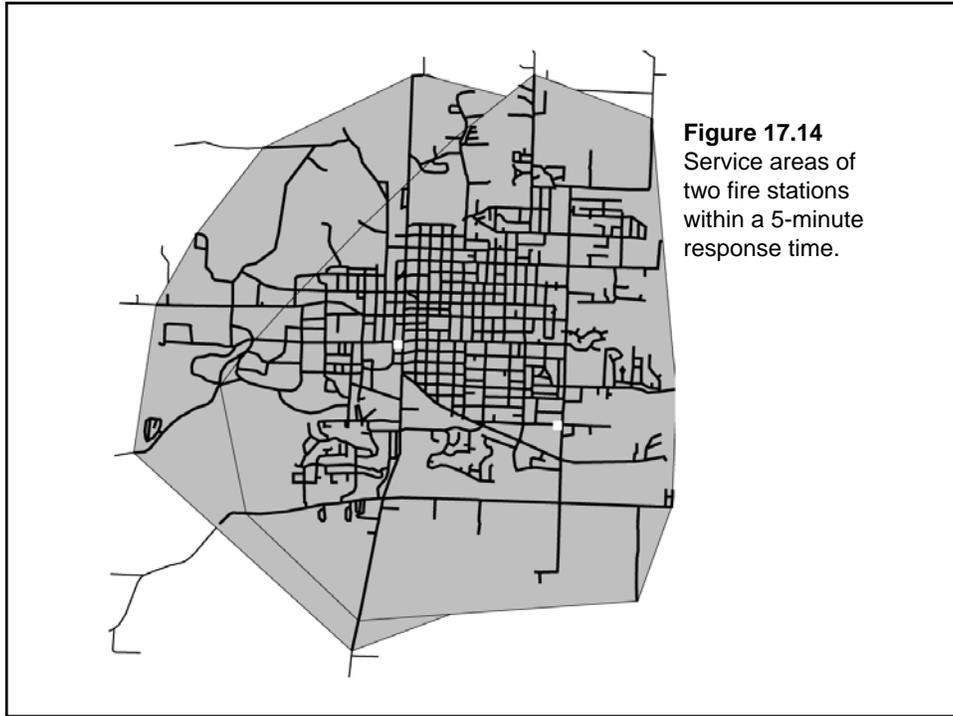
**Figure 17.12**  
Shortest path from  
a street address to  
its closest fire  
station, shown by  
the square symbol.

# Allocation

Allocation measures the efficiency of public facilities, such as fire stations, or school resources, in terms of their service areas.



**Figure 17.13**  
Service areas of  
two fire stations  
within a 2-minute  
response time.



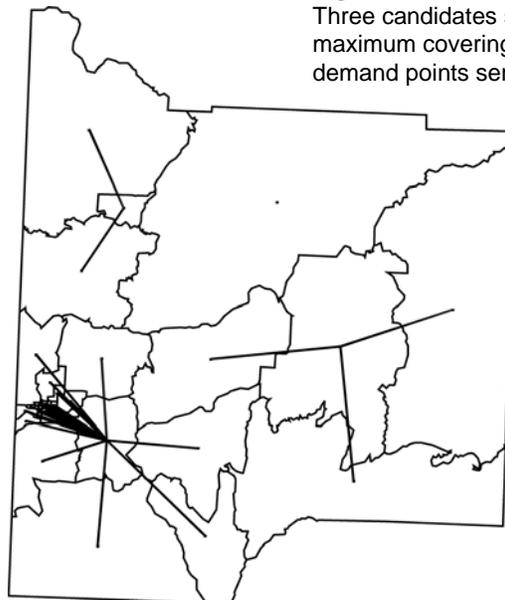
## Location-Allocation

Location-allocation solves problems of matching the supply and demand by using sets of objectives and constraints.

**Figure 17.15**  
Demand points for a public  
library location problem.

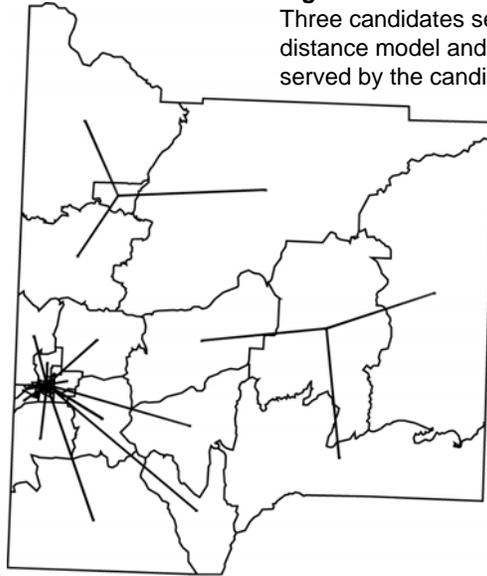


**Figure 17.16**  
Three candidates selected by the  
maximum covering model and the  
demand points served by the candidates.



**Figure 17.17**

Three candidates selected by the minimum distance model and the demand points served by the candidates.



**Figure 17.18**

One fixed and two selected candidates using the minimum distance model with the maximum distance constraint of 10 miles. The fixed candidate is the one to the west.

